SANT NIRANKARI PUBIC SCHOOL NIRANKARI COLONY, DELHI HOLIDAYS HOMEWORK XII (COMMERCE with MATHS 2018-19)

ENGLISH

WRITING SECTION

Q.1. Lack of job opportunities in the rural areas is forcing people to migrate to cities. Every big city thus has a number of slums in it. Life in these slums is miserable. Write a letter to the editor of a national newspaper on how we can improve the living conditions in these slums. You are Karan/Karuna, M 114, Mall Road Delhi.

Q.2. Draft an application with bio data in about 120-150 words for the post of the Librarian in Vision Senior Secondary School, Calicut. You are Radhika/Rajeev from 21 Cherry Road, Madurai.

Q.3. You areIsha/Ishan, the secretary of the Students' Forum of SahrudayaVidyalaya, Indranagar. You have planned an excursion to Jog Falls during the summer vacation. Write a letter to The Manager, Cox & Kings, for offering you a tour package. Give all necessary details about your trip.

Q.4. You are Suresh/Sarika Jain of H no 20 Jawahar Nagar, Delhi. Two months ago you bought a desert cooler from M/S Cool Home Coolers, Delhi. Now you discover that it is not working properly. Write a letter to the Customer Care Manager complaining about the malfunctioning of the unit and asking them to repair and if required to replace it against warranty.

Q.5. In the year to come you are going to celebrate your 18th birthday. Write an article in 150-200 words on joys and responsibilities of being eighteen. You are Navtej/Navita.

Q.6. 'The policy of reservation of seats for admission to the professional courses is good for the deprived sections of society.' Write a debate in 150-200 words either for or against the motion. Q.7. Write a speech in 150-200 words on the topic : 'Discipline Shapes The Future Of A Student'. It is to be delivered in the morning assembly. You are Karen/Kashib.

Q.8. Your school is organizing a Public Awareness Exhibition. In connection with it, prepare a poster to bring home the importance of Conservation of Electricity.

Q.9. On the occasion of World Book Day, the school has decided to organize a Book Fair, Vishakha/Vishal, the secretary of the Book Club, wants to call a meeting of the office bearers of the club to discuss the arrangements for the fair. Write a notice in not more than 50 words. Q.10. You are manager, Infocom Network, C-3 Main Shopping Centre, VasantVihar, New Delhi.

Draft an advertisement offering office furniture for sale, giving all necessary details. Q.11. Your company has launched a new pen READALL which in addition to working as a pen, can read the text in various languages. Draft an attractive advertisement in about 50 words, announcing the launch of the new pen, giving all relevant details.

LITERATURE

Q.12. Dr. Sadao was a patriotic Japanese as well as a dedicated surgeon. How could he honour both the values?

Q.13. How did the misadventure in YMCA swimming pool affect Douglas? What efforts did he make to conquer his old terror?

Q.14. Do you think Jack shared an affinity with Roger Skunk? Explain.

Q.15. How does M. Hamel prove to be an ideal teacher?

MATHEMATICS

MATRICES

1. Let $A = \begin{bmatrix} 3 & 2 & 5 \\ 4 & 1 & 3 \\ 0 & 6 & 7 \end{bmatrix}$ then express *A* as a sum of two matrices such that one is

Symmetric and the other are skew symmetric.

- 2. If $A = \begin{bmatrix} 1 & 2 & 2 \\ 2 & 1 & 2 \\ 2 & 2 & 1 \end{bmatrix}$ verify that $A^2 4A 5I = 0$.
- 3. Using elementary transformations find the inverse of the following matrix

$$\begin{bmatrix} 1 & 2 & 3 \\ 2 & 5 & 7 \\ -2 & -4 & -5 \end{bmatrix}$$
4. Using elementary transformations find the inverse of the following matrix
$$\begin{bmatrix} 2 & -1 & 4 \\ 4 & 0 & 2 \\ 3 & -2 & 7 \end{bmatrix}$$
5. Using elementary transformations find the inverse of the following matrix
$$\begin{bmatrix} 3 & 0 & -1 \\ 2 & 3 & 0 \\ 0 & 4 & 1 \end{bmatrix}$$
6. Using elementary transformations find the inverse of the following matrix
$$\begin{bmatrix} 2 & 5 \\ 1 & 3 \end{bmatrix}$$
7. Express the following matrix as the sum of symmetric and skew symmetric matrix
And verify your result
$$\begin{bmatrix} 3 & -2 & -4 \\ 3 & -2 & -5 \\ -1 & 1 & 2 \end{bmatrix}$$
8. For the following matrices A and B verify that (AB)' = B'A'
$$A = \begin{bmatrix} 1 \\ -4 \\ 3 \end{bmatrix}; B = \begin{bmatrix} -1 & 2 & 1 \end{bmatrix}$$
9. Using elementary transformations find the inverse of the following matrix
$$\begin{bmatrix} 6 & 5 \\ 5 & 4 \end{bmatrix}$$
10. Using elementary transformations find the inverse of the following matrix
$$\begin{bmatrix} 1 & 3 & -2 \end{bmatrix}$$

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	3	-21
-3	0	$\begin{bmatrix} -2 \\ -1 \end{bmatrix}$
L 2	1	0]

DETERMINANT

Using properties of determinant prove the following:

 $\begin{vmatrix} 1 + a^2 - b^2 & 2ab & -2b \\ 2ab & 1 - a^2 + b^2 & 2a \\ 2b & -2a & 1 - a^2 - b^2 \end{vmatrix} = (1 + a^2 + b^2)^3 .$

2. Using properties of determinant prove the following:

 $\begin{vmatrix} 1 + a^2 & ab & ac \\ ab & 1 + b^2 & bc \\ ca & cb & 1 + c^2 \end{vmatrix} = 1 + a^2 + b^2 + c^2$

3. Using properties of determinant show that:

3. Using properties of determinant show that: $\begin{vmatrix} 1 & a^{2} + bc & a^{3} \\ 1 & b^{2} + ca & b^{3} \\ 1 & c^{2} + ab & c^{3} \end{vmatrix} = -(a - b)(b - c)(c - a)(a^{2} + b^{2} + c^{2})$ 4. Solve for x: $\begin{vmatrix} 3x - 8 & 3 & 3 \\ 3 & 3x - 8 & 3 \\ 3 & 3x - 8 \end{vmatrix} = 0.$ 5. Using properties of determinant prove that: $\begin{vmatrix} a & a+b & a+2b \\ a+2b & a & a+b \\ a+b & a+2b & a \end{vmatrix} = ab^{2}(a+b)$ 6. Solve the system of equation by inverse matrix method: 2X-3Y+5Z = 11, 3X +2Y -4Z = -5, X + Y -2Z =-3 7. Using properties of determinant(Q7 TO Q12) prove that: $\begin{vmatrix} 1 & 1+p & 1+p+q \\ 2 & 3+2p & 4+3p+2p \end{vmatrix} = 1$

 $\begin{vmatrix} 3 & 6+3p & 10+6p+3p \end{vmatrix}$

8.
$$\begin{vmatrix} x + y & x & x \\ 5x + 4y & 4x & 2x \\ 10x + 8y & 8x & 3x \end{vmatrix} = x^{3}$$
10x + 8y & 8x & 3x
$$\begin{vmatrix} 1 & x & x^{2} \\ x^{2} & 1 & x \\ x^{2} & 1 & x \end{vmatrix} = (1 - x^{3})^{2}$$

$$\begin{vmatrix} x & x^{2} & 1 \\ x & x^{2} & 1 \\ x & x^{2} & 1 \end{vmatrix} = (1 - x^{2}) \begin{vmatrix} 0 & 0 & 0 \\ u & v & w \end{vmatrix}$$
10.
$$\begin{vmatrix} a + b & c + dx & p + qx \\ ax + b & cx + d & px + q \\ u & v & w \end{vmatrix} = (1 - x^{2}) \begin{vmatrix} 0 & 0 & 0 \\ u & v & w \end{vmatrix}$$
11.
$$\begin{vmatrix} ab & (a + c)^{2} & bc \\ ca & cb & (a + b)^{2} \end{vmatrix} = 2ab(a + b + c)^{3}$$

$$ca & cb & (a + b)^{2} \end{vmatrix}$$
12.
$$\begin{vmatrix} y & y^{2} & 1 + px^{3} \\ y & y^{2} & 1 + px^{3} \\ z & z^{2} & 1 + px^{3} \end{vmatrix} = (1 + pxz)(x - y)(y - z)(z - x) \text{ where p is any scalar.}$$

$$z & z^{2} & 1 + px^{3} \\ z & z^{2} & 1 + px^{3} \\ z & z^{2} & 1 + px^{3} \end{vmatrix}$$
12. For what values of k the following function is continuous:

$$\begin{aligned} & F(x) = \begin{cases} 2x + 1 & x < 2 \\ k & x & z \\ 3x - 1 & x > 2 \end{cases}$$
3. If $y = \tan^{-1} \left[\frac{\sqrt{1+x} \sqrt{1-x}}{\sqrt{1+x} \sqrt{1-x}} \right] find \frac{dy}{dx}$
4. If $y = \sin^{-1} \left[\frac{\sqrt{1+x} \sqrt{1-x}}{\sqrt{1+x} \sqrt{1-x}} \right] find \frac{dy}{dx}$
5. If $x = a(cs\theta + \log tan \frac{\theta}{2})$ and $y = asin \theta$ find the value of $\frac{dy}{dt}$ at θ
6. Find the value of a, b, c if f(x) defined as following is continues at $x = 0$

$$F(x) = \begin{cases} \frac{\sin(\alpha + 1)x + \sin x}{x} & x < 0 \\ \frac{c}{c} & x = 0 \\ \sqrt{x + bx^{2} - x^{2}} & , ff x > 0 \end{cases}$$

$$INVERSE TERICONOMETRIC FUNCTION
1. Prove that $\tan(\pi_{4}^{4} + \frac{1}{2}\cos^{-1}\frac{\theta}{b}) + \tan(\pi_{4}^{4} - \frac{1}{2}\cos^{-1}\frac{\theta}{b}) = \frac{2b}{a}.$
3. Prove that $2ta^{-1}\frac{1}{5} + ta^{-1}\frac{1}{5} + ta^{-1}\frac{1}{3} = \pi$
4. Prove that $\sin^{-1}\frac{1}{2} + \tan^{-1}\frac{1}{3} + \tan^{-1}\frac{1}{3} = \pi$
5. Prove that $2ta^{-1}\frac{1}{3} + \tan^{-1}\frac{1}{3} + \tan^{-1}\frac{1}{3} = \frac{\pi}{4}$
6. Solve for $x: \tan^{-1}2x + \tan^{-1}3x = \frac{\pi}{4}$
7. Solve for $x: \tan^{-1}2x + \tan^{-1}x = \frac{\pi}{4}$
7. Solve for $x: \tan^{-1}\frac{x-1}{2} + \tan^{-1}\frac{1}{3} = \frac{\pi}{4}$
7. Solve for $x: \tan^{-1}\frac{x-1}{2} + \tan^{-1}\frac{1}{3} = \frac{\pi}{4}$
7. Solve for $x: \tan^{-1}\frac{1}{2} + \tan^{-1}\frac{1}{3} = \tan^{-1}\frac{3}{1}\frac{1}{17}$
7. Prove that $2ta^{-1}\frac{1}{2} + \tan^{-1}\frac{1}{3} = \frac{\pi}{4}$$$

ACCOUNTANCY Q 1. Do the text book

- Do the text book questions of chapters 7 and 8 in your homework register.
- Prepare theory notes from chapters 7 and 8. Q 2.

ECONOMICS

- All the students enjoy your holidays and do the following: 1. Read the newspaper or listen to the news everyday and update yourself with the current news related to Economics.
 - 2. Learn and practice the syllabus done till now.
 - 3. Practice numerical of numerical based chapters.
 - 4. Collect information regarding Project for board.

BUSINESS STUDIES

- 1. Students are supposed to make one project(**20 MARKS**) from the topics already given to them in the class .The topics are:
 - 1) Project-2 Principles of management (page 505 of the text book)
 - 2) Project -4 Marketing Management (page 507 of the text book) (products allocation already given to the students.)
 - 3) Project -3-Stock exchange
 - 4) Project -1- Elements of Business Environment

PRESENTATION AND SUBMISSION OF PROJECT REPORT should be as per the instructions given in the page 509 of the text book

PHYSICAL EDUCATION

Maintain Record File :-

- 1.) Any one game of your choice with labelled diagram of field. Along with rules, terminologies and skills required, with player's photograph in playing position.
- 2.) Same as above for an Atheletic Event, a Jumping Event and a Throwing Event.
- 3.) Yoga Asanas (Any 10) with diagrams, benefits and rules.